An algorithm for enhancing coverage and network lifetime in cluster-based Wireless Sensor Networks

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Abstract: Majority of wireless sensor networks (WSNs) clustering protocols in literature have focused on extending network lifetime and little attention has been paid to the coverage preservation as one of the QoS requirements along with network lifetime. In this paper, an algorithm is proposed to be integrated with clustering protocols to improve network lifetime as well as preserve network coverage in heterogeneous wireless sensor networks (HWSNs) where sensor nodes can have different sensing radii and energy attributes. The proposed algorithm works in proactive way to preserve network coverage and extend network lifetime by efficiently leveraging mobility to optimize the average coverage rate using only the nodes that are already deployed in the network. Simulations are conducted to validate the proposed algorithm by showing improvement in network lifetime and enhanced full coverage time with less energy consumption.

Keywords: Heterogeneous wireless sensor Networks, Clustering Protocols, Network lifetime, Energy consumption, Coverage preservation, full coverage time.

1. Introduction

How to maximize network lifetime and maintain good coverage for network area for as long as possible using as minimum energy as possible?. The answer to this question is the main issue in WSNs. In other words, one of crucial issues in WSNs is saving energy that is to maximize network lifetime. As a result, the design of energy efficient methods for WSNs is one of the main research challenges in WSNs that is addressed by a large number of literature during the last few years. Therefore, it is required that the WSNs that are deployed with high node densities save their energies by turning off sensor nodes that have overlapping sensing areas for energy efficiency and to extend network lifetime. Moreover, coverage in WSNs is to monitor network field in an efficient way which means using as minimum energy as possible to ensure good coverage for as long as possible.

Clustering is one of the most used methods in WSNs for saving energy and extending network lifetime. In clustering methods, nodes are often partitioned based on some criteria into various disjoint groups called clusters. Clustering in WSNs reduces communication overheads and distributes resources effectively as a result overall energy consumption and interference among nodes is reduced, [3, 5–7].

Clustering algorithms apply data aggregation techniques, which reduce the collected data at cluster heads in form of significant information, [2, 3, 5]. Most clustering protocols in literature have focused on the ways of cluster heads selection and cluster formation or how to route the aggregated data from nodes to the base station to extend network lifetime. Very little clustering work pays attention to coverage preservation besides extending network lifetime. For this reason, in this paper, we propose an enhancement algorithm that can be integrated with clustering protocols for HWSNs to enhance coverage and network lifetime. The new protocol starts (Initialization phase) by selecting suitable nodes to be activated for sensing and aggregation process from the nodes that are already deployed in the network. During sensing process, node energy level is monitored in order to recover the nodes that reach a certain energy threshold value (Coverage preservation phase).

In the recovery process, the neighbor nodes collaborate among themselves to find the most appropriate candidate based on sensing range, residual energy, and required moving distance (Coverage preservation phase). The selected node then will move to replace the failed node. The new protocol minimizes any overlapping of the selected node with its new neighbors in the target location, improves the coverage of its predecessor, and efficiently leverages mobility to optimize the average coverage rate [1].

The rest of the paper is organized as follows: Section 2 describes related research on our proposed work. In section 3, we give a number of related definitions and notations that will be used in developing our algorithms. In Section 4, we introduce our approach to carry out the proposed problem. The simulation of our approach is presented in Section 5. In Section 6, we conclude our work.

2. Related Research

In this section, we review the recent works dealing with the coverage preservation and network lifetime maximization in cluster based WSNs. In [3], the authors proposed Deterministic Energy-efficient Clustering protocol (DEC) which uses residual energy of nodes to select cluster heads in a deterministic way. The performance is measured in terms of lifetime and coverage preservation under energy heterogeneity. DEC outperforms the probabilistic-based protocol LEACH. In [4], the authors proposed two distance based clustering routing protocols, DBLEACH and DBEA-LEACH.

In DBLEACH, the cluster head selection is based on the distance between the candidate node and the base station. While in DBEA-LEACH the cluster head selection is not only based on the distance between the candidate node and the base station, but also the ratio of residual energy of the node and the average residual energy level of nodes in the network.

In [2], an algorithm that keeps balanced energy depletion of sensor nodes using two methods was proposed. The first method considers the current energy of nodes when selecting cluster-heads, and the second method limits the number of nodes in each cluster. In [5] an energy based clustering model for WSNs (EBCM) is proposed.
EBCM considers current node energy and degree in cluster formation process that is to overcome the energy limitation and imbalance of energy consumption among sensor nodes. In [1] Region-based Energy-aware Clustering (REC) scheme is proposed for packet forwarding in WSNs. REC stresses the residual energy and the sensing coverage area as metrics for cluster head selection. The work in [4] ignored area coverage improvement with minimal energy consumption and concentrated only on cluster head selection even if the algorithm is based on area coverage but this is to extend network lifetime which is indirectly related to coverage preservation.

In [24], the authors proposed a coverage optimization protocol to improve the lifetime in heterogeneous WSNs. The network area is divided into sub-regions then the scheduling of sensor node activity is planned for each sub-region. In [11], the authors presented an energy and coverage-aware distributed clustering protocol (ECDC). They proposed two important coverage cost metrics aimed at mitigating different applications of a coverage problem, particularly including an area coverage problem. Here, coverage cost is proportional to the number of neighbors. ECDC cannot efficiently extend the network lifetime. In [10], the authors proposed a distributed, energy and coverage-aware routing (DECAR) algorithm to improve coverage lifetime. They proposed a cluster-size selection technique with the objective of minimizing the problem of hot spots during data transmission to the BS. Although, the performance is improved, this algorithm does not address sensor activation, but it focuses only on clustering optimization. In [13], the authors proposed the Edge Based Centroid (EBC) algorithm which aims to improve the area coverage with minimal energy consumption and faster convergence rate. In [17], a distributed coverage hole detection scheme is proposed in which the sensors can store location information of their one-hop neighbors to detect the presence of a coverage hole without the help of the sink.

In context of hole recovery, the approach in [18] locates the shortest moved distance of the mobile nodes. Then using an adaptive threshold distance, the algorithm filters out some mobile nodes that are already occupied or situated within the threshold distance from the optimal new positions. The work in [14] proposed an algorithm to improve coverage of a hole by moving nodes but with heavy constraints on energy and distance. Authors in [12] discussed how improve the network coverage by redeploying mobile nodes in hybrid WSNs. In [15], the authors proposed a coverage hole repair algorithm to resolve a full coverage while minimizing the overlapped area of the sensing disks and deployed nodes. In [16], the authors used a hybrid particle swarm algorithm to repair the coverage holes. In these approaches, the movement of mobile sensors and the consumption and balancing energy are studied. However, these approaches are based on the homogeneous WSNs, which is not the case of our proposed problem. In [8], the authors presented a pruning-based algorithm, where nodes are considered to be redundant if their sensing regions are covered by other neighbors, and their neighbors are connected through a connection path. This algorithm works with homogenous sensor nodes. The work in [1] is close to ours. However, our approach is based on local neighborhood information and is based on different assumptions.

3. Description of Relevant Terms

In this section, we give some definitions and notations that will be used in developing our proposed algorithm. We consider that there are \( n \) sensor nodes that are randomly scattered over a monitored area, and they form the set \( S \), where \( S = \{s_i, i = 1, \ldots , n\} \). Also, we assume that the application requires every part of the area to be covered by the sensors throughout the network lifetime, i.e., sensor nodes are deployed in high density to ensure full coverage. Moreover, the WSN has the following assumptions:

1. Every sensor node knows its own location via GPS or localization algorithms [2, 19].
2. A Boolean disk coverage model is considered as this model is widely used in literature.
3. The physical properties of the sensor nodes are different as a result; the sensing radii are different among the sensor nodes (i.e., heterogeneous sensing radii). For the sake of simplicity, we assume that sensing radius \( (s_i, r_i) \), and transmission radius \( (s_i, r_c) \) of a node \( s_i \) are disks and \( r_c \geq 2r_i \). Also, the sensor nodes are homogeneous in terms of energy provision.

![Figure 1. Example of Heterogeneous WSN](image)

**Definition 1 (Communication Area):** The communication area of a sensor node \( s_i (C(s_i)) \) is the area in which the sensor \( s_i \) can communicate directly with other sensor nodes.

**Definition 2 (Communication Neighbors):** The communication neighbors of a sensor node \( s_i (CN(s_i)) \) are represented by the set of all sensor nodes which are located inside \( C(s_i) \).

**Definition 3 (Sensing Area):** The sensing area (sensing disc) of a sensor node \( s_i (A(s_i)) \) is the area in which the sensor \( s_i \) can sense a physical phenomenon for example moving object.

**Definition 4 (Sensing Neighbors):** The Sensing neighbors of a sensor node \( s_i (SN(s_i)) \) are represented by the set of all sensor nodes \( s_j \) that satisfy the condition \( A(s_i) \cap A(s_j) \neq \emptyset \). As shown in Figure 1, the sensing neighbors of \( s_1 \) are represented by the set \( \{s_2, s_3, s_4, s_5, s_6, s_7\} \).

**Definition 5 (Redundant Neighbors):** The Redundant neighbors of a sensor node \( s_i (RN(s_i)) \) is the set of all sensor nodes \( s_j \in CN(s_i) \) that are fully covered by their neighbors.
For example, in Figure 1, \( s_k \in RN(s_1) \) and the number of nodes in the list is 1 (\(|RN(s_1)| = 1\)).

**Definition 6 (Coverage Hole):** If any part of the monitoring region is not covered by the sensing disc of any sensor, then there exists a coverage hole.

**Definition 7 (Hole Boundary Points (HBP)):** HBPs are the intersection points of nodes’ sensing discs around a coverage hole, which develop an irregular polygon by connecting adjacent points. As shown in Figure 1, the shadowed area is expected to be a coverage hole with \( HBP = \{p_1, p_2, p_3, p_4, p_5\} \) if node \( s_1 \) dies.

**Definition 8 (Hole Boundary Nodes (HBN)):** HBNs are the nodes that form the boundary of the hole. As shown in Figure 1, the shadowed area is expected to be a coverage hole with \( HBN = \{s_2, s_3, s_4, s_5, s_6\} \) if node \( s_1 \) dies.

4. Algorithm Description

Our main objectives it to preserve maximal coverage and extend network lifetime. Therefore, we propose an algorithm that is divided into two phases: initialization, and coverage preservation. In initialization phase, each node collects and determines the required information about its vicinity (e.g., sensing neighbors) that is used as preparation for the next phase. Moreover, redundant nodes are discovered and scheduled for coverage preservation and energy saving. In coverage preservation phase, node whose energy level goes under a certain energy threshold value will be replaced by selecting the most convenient node to avoid the expected coverage hole. This selection will be decided by the node with low energy level.

4.1 Initialization Phase

Each node \( s_i \) enters this phase after deployment or after changing its location. In this phase, each node will execute the following procedure that includes three steps:

1. Finding sensing neighbors.
2. Finding redundant neighbors.
3. Determining intersection points.

**Step 1: Finding Sensing Neighbors**

In this step, \( s_i \) finds its sensing neighbor nodes as follows: For each node \( s_j \in CN(s_i) \), \( s_j \) will be added to sensing neighbor list, \( SN(s_i) \), if the distance between \( s_i \) and \( s_j \) is less than or equal to \( \sqrt{r_i r_j} \).

**Step 2: Finding Redundant Neighbors**

Considering only its sensing area, the coverage redundancy ratio for each node \( s_i \) can be calculated using [9, 20] as follows:

\[
\xi_{s_i} = \frac{\bigcup_{j=1}^{m} A(s_i) \setminus A(s_j)}{A(s_i)},
\]

where, \( \bigcup_{j=1}^{m} A(s_i) \setminus A(s_j) \) is the sensing area of \( s_i \) that has been covered by neighbor node \( s_j \in SN(s_i), \ i = \{1, 2, 3, ..., m\} \) and \( A(s_j) \) is the sensing area of \( s_j \).

1. If \( \xi_{s_i} = 0 \), no coverage redundancy for \( s_i \).
2. If \( \xi_{s_i} > 0 \) and \( \xi_{s_i} < 1 \) coverage redundancy occurred with \( s_i \).
3. If \( \xi_{s_i} \geq 1 \), sensor \( s_i \) has a complete coverage redundancy.

Let \( \xi_{Threshold} \) is a redundancy threshold that depends on the application.

According to equation 4.1, if node \( s_i \) has \( \xi_{s_i} \geq \xi_{Threshold} \), and \( s_i \) has a neighbor \( s_k \) with \( \xi_{s_k} \geq \xi_{Threshold} \) as result if both of them decide to become redundant node and go to sleep, it may cause two problems: (1) a coverage hole will occur at the shared region, (2) both of them will receive move request during recovery process and this will cause a coverage hole.

Each node \( s_i \) executes Algorithm 1 to decide whether to become a redundant node and go to sleep mode or not. The idea of the algorithm is that each node \( s_i \) starts backoff timer (its value is a random number from 1 to \( r_i r_j \)) and if it receives Redundant message before its timer expires, it checks if it still has \( \xi_{s_k} \geq \xi_{Threshold} \) or not after excluding the node \( s_k \) that sends the declaration message from calculation of its \( \xi_{s_k} \). If \( \xi_{s_i} \geq \xi_{Threshold} \), it decides to cancel its timer and does not declare itself as redundant node. Otherwise, it declares itself as redundant node and goes to standby mode after timer expiration. Each node \( s_i \) that receives Redundant message from \( s_k \) adds \( s_k \) to its redundant list \( s_i, RN \). Figure 4 shows the flow diagram for redundant discovery algorithm.

**Step 3: Determining Intersection Points**

In this step, each node \( s_i \) computes the intersection points \( (p_1, p_2) \) with every node \( s_j \in SN(s_i) \).
The intersection points $p_1$ and $p_2$ between nodes $s_i$ with sensing radius $s_i.r_i$ and $s_j$ with sensing radius $s_j.r_j$ can be computed as follows:

\[ p_1 = \left( x_1 + \frac{\gamma(s_j.y-s_i.y)}{d}, y_1 - \frac{\gamma(s_j.x-s_i.x)}{d} \right) \] (4.2)

\[ p_2 = \left( x_2 - \frac{\gamma(s_j.y-s_i.y)}{d}, y_2 + \frac{\gamma(s_j.x-s_i.x)}{d} \right) \] (4.3)

where, $d$ is the distance between $s_i$ and $s_j$ such that $d \geq s_i.r_i + s_j.r_j$ or $d \leq s_i.r_i - s_j.r_j$.

\[ \gamma = s_i.r_i^2 - \frac{(s_i.r_i^2 - s_j.r_j^2 + d^2)}{2d} \]

\[ x_2 = s_i.x + \frac{(s_i.r_i^2 - s_j.r_j^2 + d^2)}{2d}(s_j.x - s_i.x) \]

\[ y_2 = s_i.y + \frac{(s_i.r_i^2 - s_j.r_j^2 + d^2)}{2d}(s_j.y - s_i.y) \]

The points $(p_1, p_2)$ will be added to the list of intersection points $(P(s_i))$.

- Find the intersection points between each pair of sensing neighbors $s_k, s_j \in SN(s_i)$ ($j \neq k$).
- Add these points to the list of intersection points $P(s_i)$.
- For each point $p \in P(s_i)$, update $P(s_i)$ with the number of nodes that cover $p$ by counting the number of corresponding sensing neighbors $s_j \in SN(s_i)$ that cover $p$.
- The intersection point that is covered by more than one node is not a hole boundary point; otherwise it is a hole boundary point.
- The intersection point that is covered by only $s_i$ is expected to be hole boundary point if $s_i$ dies.

At the end of this phase, each node has to maintain the list of its sensing neighbors’ information and corresponding intersection points.

### 4.2 Coverage Preservation Phase

In this phase, the energy level of sensor node is monitored and if the remaining energy of node $s_i (s_i.E)$ is less than a given energy threshold $E_{th}$, i.e. $s_i$ is expected to die and cause a coverage hole. In this case, $s_i$ considers itself as hole coordinator node and prepares to execute the recovery algorithm by finding the list of hole boundary points $HBP$ for that expected hole by picking the points that are covered only by itself from $P(s_i)$ and adds them to $HBP$ list.

The recovery algorithm works reactively for the hole resulting due to node failure. The boundary hole nodes and the hole can be detected using the related methods presented in previous studies e.g., [23]. The set of nodes that are located on the hole boundary, compute the intersection points with hole boundary neighbors to update their $HBP$ list. The hole boundary nodes exchange their $HBP$s along with their IDs and the node with lowest ID considers itself the hole coordinator node and will execute recovery algorithm.

First, we describe selection procedure for selecting the candidate redundant node to move and recover the hole, then we provide the details of the recovery algorithm.

#### 4.2.1 Candidate Selection Procedure

In order to select candidate node to move towards coverage hole or to preserve coverage, the coordinator node $s_i$ finds the smallest circle that encloses the points in the $HBP$ list to recover the hole. Then, $s_i$ searches for the candidate node (redundant node) that has sensing radius greater than or equal to the radius of the smallest enclosing circle. The candidate node then will be moved to the center of smallest enclosing circle.

However, the selection based on sensing radius only could lead to selection of a node that has not enough energy to complete this task. Therefore, the selection of candidate node must be based on more factors. In this paper, we consider three main factors to select a candidate node: required sensing radius, moving distance, and remaining energy. If we assume the energy consumed to move a node $s_r$ distance $d$ is $e_d$ and the remaining energy of $s_r$ is $s_r.E$. Node $s_i$ calculates the following energy-distance factor $(ED)$ for each of its candidate nodes $(s_r)$:

\[ ED(s_r) = \frac{E_{th} - e_d}{d} \] (4.4)

The candidate node that has $ED(s_r) > ED_{threshold}$ and $s_r.r_s \geq r_{SEC}$ is the most convenient node to move and cover, where $ED_{threshold} = \frac{RT_{threshold}}{d}$ is energy-distance factor threshold, $E_{threshold}$ is the energy threshold and $r_{SEC}$ is the required radius.

This means that the most convenient node is the node whose remaining energy after movement is greater than the energy threshold value and has minimum distance to move, and has sensing radius greater than or equal to the required radius. If there are more than one nodes that satisfy the selection conditions, the node with the lowest node ID will be selected.
4.2.2 Hole Recovery Algorithm

Here, hole recovery algorithm is described in order to preserve and extend network coverage. As stated before, we have two cases. In case 1, the node $s_i$ attempt to recover the coverage hole before it becomes a real problem by monitoring its energy level till it reaches certain energy threshold value. In case 2, the coverage hole is detected and the hole boundary node $s_j$ that has lowest ID becomes hole coordinator node and maintains HBP list for the hole. In both cases the hole coordinator node $s_i$ executes the recovery algorithm.

The main idea of the algorithm is that given a set of hole boundary points, HBP, the points in HBP are sorted in counterclockwise. Hole coordinator node $s_i$ executes the following steps:

1. Find the smallest enclosing circle (SEC) for the hole points in the list HBP by executing the algorithm in [21, 22].
2. Search in the RN list for a redundant node by calling candidate selection procedure, if it exists; the redundant node will be requested to move to SEC center. Terminate the algorithm. (The nearest one from SEC center will be selected if there are more than one redundant nodes that can fit to the radius of SEC).
3. If there is no redundant node that can fit to the hole and the redundant list contains only one node $(|s_i, RN| \leq 1)$, $s_i$ decides to send request to neighbor nodes asking them for redundant list.
4. $s_i$ updates its redundant list by the received list nodes then call candidate selection procedure to search for a redundant node with radius greater than or equal to the radius of SEC in the updated redundant list.
5. If it exists; the redundant node will be requested to move to SEC center and then $s_i$ updates its redundant list.
6. If no update is received, node $s_i$ sends the hole information to base station that includes hole center (SEC center) and size (SEC radius) and terminates the algorithm.
7. If all redundant nodes in $s_i, RN$ have radius less than the radius of SEC, $s_i$ selects the node $s_r$ that has largest sensing radius and $ED(s_r) > ED_{threshold}$ as reference node for the hole.
8. $s_i$ requests the reference node $s_r$ to move to the hole center (SEC center) then, $s_i$ will execute the following:
   a. Finds the line $L_i$ from the center of $s_i$ to the center of reference node $s_r$ and the line $L_j$ from the center of hole boundary neighbor node $s_j$ to the center of reference node $s_r$.
   b. Finds the intersection points of $L_i$ and $L_j$ with the circumference of the reference node $s_r$.
   c. Finds the intersection points of $L_i$ and $L_j$ with the circumference of the hole boundary node $s_j$.

As it seen in Figure 5 the line $L_i$ crosses node $s_i$ at point $p_i$ and $L_j$ crosses the node $s_j$ at point $p_j$ and the lines $L_i$ and $L_j$ cross node $s_r$ at the points $p_i$. 

**Figure 5:** Coverage hole example with reference node.

**Figure 6:** Dividing example for the area between reference node and hole boundary node.

**Figure 7:** Covered area between reference node and hole boundary nodes.
\[ \begin{align*}
    x &= \frac{r_xr_y(x_2 - x_1) + x_1}{L_1}, \quad (4.5) \\
    y &= \frac{r_xr_y(y_2 - y_1) + y_1}{L_1}, \quad (4.6)
\end{align*} \]

where \( L_1 = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2} \) is the distance between the center \((x_1, y_1)\) of node \( s_1 \) and the center \((x_2, y_2)\) of node \( s_2 \), and \( r_x, r_y \) is the sensing radius of \( s_x \). By the same way the other cross points can be calculated.

9. \( s_1 \) finds the smallest enclosing circle \((SEC_1)\) for the cross points and the intersection point between \( s_1 \) and \( s_2 \) (as shown in Figure 5). \( SEC_1 \) is the smallest enclosing circle for the intersection point \( p_{ij} \) and the points \( p_1, p_2, p_3, p_4 \).

10. \( s_1 \) searches for the redundant node \( s_k \) by calling candidate selection procedure that matches \( SEC_1 \).

11. If \( s_k \) exists: \( s_k \) will be requested to move to the position of \( SEC_1 \) center then \( s_1 \) updates its \( s_1.RN \) by removing \( s_k \) from the list.

12. \( s_1 \) sends the hole information \((HBP, \text{reference node, covered area})\) to its node \( s_2 \). \( s_1 \) repeats the same processes (starts from step 9) between itself and hole boundary nodes \( s_{j+1} \).

13. But, if the node \( s_1 \) cannot find \( s_k \) In this case, \( s_1 \) will divide the area that needs to be covered by redundant nodes as follows:

   a. \( s_1 \) finds the mid points \( p_{11}, p_{22} \) of \( L_1 \) and \( L_2 \), respectively. As shown in Figure 6, the polygon \( p_{ij}, p_1, p_2, p_3, p_4 \) is divided into two polygons \( p_{ij}, p_1, p_1, p_2, p_3, p_4 \) and \( p_1, p_2, p_3, p_4 \) by the mid points.

   b. \( s_1 \) finds the smallest enclosing circle \((SEC_1)\) for the polygon points \( p_{ij}, p_1, p_2, p_3, p_4 \) and the smallest enclosing circle \((SEC_2)\) for the polygon point \( p_1, p_2, p_3, p_4 \).

   c. \( s_1 \) searches for the redundant nodes \( s_1 \) and \( s_2 \) that match \( SEC_1 \) and \( SEC_2 \) by calling candidate selection procedure;

   d. \( s_1 \) will be requested to move to the position of \( SEC_1 \) center and \( s_2 \) will be requested to move to the position of \( SEC_2 \) center.

14. \( s_1 \) updates its \( s_1.RN \) by removing \( s_k \) from the lists, then \( s_1 \) sends the hole information \((HBP, \text{reference node, covered area})\) to its node \( s_2 \).

15. Node \( s_2 \) repeats the same processes (starts from step (8.a)) between itself and hole boundary nodes \( s_{j+1} \).

5. Simulation Results

The proposed algorithm was simulated using MATLAB with the same radio model and the energy parameter used as in the literature [2–5]. In our simulation, 100 sensor nodes are uniformly distributed in a region of size \( 100m \times 100m \).

The sensing range varies between 15m and 30m and communication range is taken to be 60m. The cluster head probability is set to 0.10 with base station located at center of simulation area. The initial energy is varying from 20J to 50J, energy consumption due to mobility is taken to be 1 J/m. We set energy threshold equals to 10% of initial energy of each node and the coverage threshold value \( \xi_{\text{Threshold}} = 1 \). The simulation is run for different topologies and average value of all runs is presented in the simulation result. The simulated parameters are summarized in Table 1.

The proposed algorithm is analyzed by integrating it with these clustering protocols: Distance-Based Energy-Aware Low Energy Adaptive Clustering Hierarchy (DBEA-LEACH) [4], Distance-Based Low Energy Adaptive Clustering Hierarchy (DB-LEACH) [4], LEACH-E [2], Energy-Based Clustering Model (EBCM) [5] and Deterministic Energy-efficient Clustering protocol (DEC) [3]. We measure the performance by using the following metrics for clustering protocols without the proposed algorithm (DBEA-LEACH, DB-LEACH, LEACH-E, EBCM, and DEC) and clustering protocols after the proposed algorithm is integrated into them (Modified-DBEA-LEACH, Modified-DB-LEACH, Modified-LEACH-E, Modified-EBCM, and Modified-DEC).

- Full Coverage-Time [3]: the period from the start of the network operation until full coverage is lost.
- Network Lifetime [2–4]: the period from the start of the network operation until the first node dies(FND).
- Average Number of Active Nodes (ANAN) Ratio : The network lifetime and full coverage time is maximized when as few as possible number of active nodes are used in each round. As a result the minimum value of ANAN is preferred. \( ANAN \) is calculated as follows:

\[ ANAN_{\text{Lifetime}} = \frac{n_{\text{lifetime}}}{n} \times 100 \]

\[ ANAN_{\text{Coverage}} = \frac{n_{\text{coverage}}}{n} \times 100 \]

where, \( n \) is the total number of nodes, \( n_{\text{lifetime}} \) is the total number of active nodes until first node dies, and \( n_{\text{coverage}} \) is the total number of active nodes until full coverage is lost.

- Averaged Consumed Energy per round: this metric is preferred to minimize the following:

  o Averaged Consumed Energy per round until first node dies \((ACE_{\text{Lifetime}})\). It is calculated as:

\[ ACE_{\text{Lifetime}} = \frac{E_{\text{Lifetime}}}{n_{\text{Lifetime}}} \]

where \( E_{\text{Lifetime}} \) is the total consumed energy until first node dies and \( n_{\text{Lifetime}} \) is the total number of rounds until FND.
Averaged Consumed Energy per round until full coverage is lost \( ACE_{coverage} \) is calculated as:

\[
ACE_{coverage} = \frac{E_{ncoverage}}{r_{coverage}}
\]

where \( E_{ncoverage} \) is the total consumed energy until full coverage is lost and \( r_{coverage} \) is the total number of rounds until full coverage is lost.

Figures 8, 9 and 10 show the evolution for (DBEA-LEACH, DB-LEACH, LEACH-E, EBCM, and DEC) and (Modified-DBEA-LEACH, Modified-DB-LEACH, Modified-LEACH-E, Modified-EBCM, and Modified-DEC) over rounds in one set of the simulations. From Figure 10 we can see that the consumed energy per round for modified protocols is more balanced and less than original protocols. Also we can see from Figure 9 that number of dead nodes per round decreased for modified protocols compared with the number of dead per round for original protocols. Moreover, from Figure 8 it is shown that the coverage percentage per round is improved for modified protocols compared with the original protocols.

### Table 1. Setting used in the simulation

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Network area size</td>
<td>100m x 100m</td>
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<tr>
<td>Nodes</td>
<td>100</td>
</tr>
<tr>
<td>Initial energy ( (E_0) )</td>
<td>20J to 50J</td>
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<td>( E_{delc} )</td>
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</tr>
<tr>
<td>( E_{pa} )</td>
<td>5 nJ/bit/signal</td>
</tr>
<tr>
<td>Packet size</td>
<td>4000bits</td>
</tr>
<tr>
<td>Percentage of CHs Popt</td>
<td>0.1</td>
</tr>
<tr>
<td>Sensing radius</td>
<td>15m to 30m</td>
</tr>
<tr>
<td>Communication radius</td>
<td>60m</td>
</tr>
<tr>
<td>( \xi_{threshold} )</td>
<td>1</td>
</tr>
<tr>
<td>( E_{threshold} )</td>
<td>10% ( E_0 )</td>
</tr>
</tbody>
</table>

### Figures

**Figure 8:** Coverage performance of cluster protocols: DBEA-LEACH, DB-LEACH, DEC, EBCM, LEACH-E before and after integrating.

**Figure 9:** Network lifetime performance of cluster protocols: DBEA-LEACH, DB-LEACH, DEC, EBCM, LEACH-E before and after integrating our proposed algorithm.

**Figure 10:** Consumed energy per round by protocols: DBEA-LEACH, DB-LEACH, DEC, EBCM, LEACH-E before and after integrating our proposed algorithm.

**Figure 11:** Average Consumed Energy by the protocols: DBEA-LEACH, DB-LEACH, DEC, EBCM, LEACH-E before and after integrating our proposed algorithm.

Figure 11 shows the average consumed energy per round until first node dies and until full coverage is lost. As shown from the figure that the average energy per round until first node dies is reduced up to a magnitude of 84.59%, 93.25%, 94.29%, 88.13%, and 96.26% for Modified-DEC, Modified-DBEA-LEACH, Modified-DB-LEACH, Modified-EBCM, and Modified-LEACH-E compared with DEC, DBEA-LEACH, DB-LEACH, EBCM, and LEACH-E, respectively. Moreover, the average energy per round until full coverage is lost is reduced up to a magnitude of 78.05%, 81.07%, 88.63%, 81.18%, and 90.60% for Modified-DEC, Modified-DBEA-LEACH, Modified-DB-LEACH, Modified-EBCM, and Modified-LEACH-E compared with DEC, DBEA-LEACH, DB-LEACH, EBCM, and LEACH-E, respectively. Moreover from Figure 11, it is clear that for original protocols DBEA-LEACH gives lowest \( ACE_{lifetime} \) and LEACH-E gives largest \( ACE_{lifetime} \). While for modified protocols DBEA-LEACH and DB-LEACH gives slightly lower \( ACE_{lifetime} \) compared with original protocols.
protocols Modified-EBCM gives largest $ACE_{\text{lifetime}}$ and Modified-DBEALEACH gives lowest $ACE_{\text{lifetime}}$. $ACE_{\text{lifetime}}$ for all modified protocols is less than $ACE_{\text{lifetime}}$ for all original protocols. This is because the number of active nodes per round for modified protocols is less than the number of active nodes per round for original protocols as a result we save energy.

Furthermore, we notice that $ACE_{\text{lifetime}}$ is less than $ACE_{\text{coverage}}$ for original protocols, while, $ACE_{\text{lifetime}}$ is greater than $ACE_{\text{coverage}}$ for modified protocols. This is because shorter full coverage time in original protocol leads to increase in $ACE_{\text{coverage}}$. However, longer full coverage time in modified protocols lead to decrease in $ACE_{\text{coverage}}$ with slight increase in $ACE_{\text{lifetime}}$ due to the movement of nodes to maintain the full coverage.

Table 2, shows the percentage of improvement of modified protocols over original protocols.

<table>
<thead>
<tr>
<th>Protocols</th>
<th>% of improvement over original protocols</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Network Life Time</td>
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<tr>
<td>Modified-DEC</td>
<td>38.27</td>
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<tr>
<td>Modified-DBEALEACH</td>
<td>204.59</td>
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<tr>
<td>Modified-DBEALEACH</td>
<td>281.93</td>
</tr>
<tr>
<td>Modified-EBCM</td>
<td>325.12</td>
</tr>
<tr>
<td>Modified-LEACH-E</td>
<td>572.45</td>
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</table>

In order to save energy, minimize communication overhead and extend network lifetime, it is desirable in each round to have as few working nodes as possible. Figure 14 shows the superiority of proposed algorithm in comparison with original protocols. Moreover, as it is shown in Figure 14 that $ANAN_{\text{lifetime}}$ for all original protocols is greater than $ANAN_{\text{coverage}}$. As large number of active nodes start clustering process and decrease in $ANAN_{\text{coverage}}$ is because the number of dead nodes may not affect full coverage as they are covered by neighbor nodes.

While $ANAN_{\text{lifetime}}$ for all modified protocols is lower than $ANAN_{\text{coverage}}$, because less number of active nodes start clustering process. Furthermore, $ANAN_{\text{coverage}}$ is slightly increased since more active nodes are required for coverage preservation.

### 6. Conclusions

In this paper, an algorithm is proposed to optimize network lifetime and network coverage in a cluster based WSN. Since the main issue in WSNs is energy saving, the proposed...
algorithm takes the benefit from the nodes that are already deployed in the network and discover the redundant nodes. The redundant nodes are used for coverage preservation. The proposed algorithm can be integrated with clustering routing protocols to provide robust functionalities in WSN applications, which are highly desirable for surveillance applications that require persistent coverage and continuous surveillance in order to satisfy a specific quality of service (QoS) constraint. The proposed algorithm is integrated in DEC, DBEA-LEACH, DB-LEACH, EBCM, and LEACH-E and the performance results show that the modified protocols exceed the original protocols in terms of full coverage time, network lifetime, active number of nodes, and energy consumption.

References